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Integration of Python in a Model to Evaluate the Mechanical Behavior of Reactive Soils Through Static Triaxial Tests Under Geomechanical Factors



Juan Sebastian Bonilla-Uribe *D, Luis M. Moran Yañez, Yvan Huaricallo, Jorge L. Capuñay-Sosa, Nahum O. Cubas Parimango, Johnny H. Ccatamayo Barrios, Leyla F. Guerrero Mendoza,

Faculty of Geological, Mining, Metallurgical and Geographic Engineering, Universidad Nacional Mayor de San Marcos, Lima 07011, Peru

Corresponding Author Email: juan.bonilla2@unmsm.edu.pe

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soil mechanical analysis, static triaxial tests, Python, predictive model, physical factors, geotechnical applications, experimental methodology

ABSTRACT

This study aims to develop a predictive model based on Python to assess the mechanical behavior of "reactive" soils through static triaxial tests, considering key geomechanical factors. The tests were conducted on soil samples taken from depths of 1.5 to 2.0 meters (shallow) and from 16.5 to 18.0 meters (deep). The data obtained, which include pore pressure records, displacements, and deformation, were processed and analyzed using Python libraries such as NumPy and Pandas. The model is based on linear regressions and statistical techniques to analyze the relationships between variables such as soil density, cohesion, and the friction angle. The results showed that the model was able to simulate the soil behavior under different static loading conditions with high accuracy, considering confinement pressure and soil density. The analysis indicated that pore pressure has a significant impact on the shear strength of deep clays, with a 25% decrease in strength under saturated conditions. The integration of Python allowed for the automation of complex calculations and optimization of the analysis, providing an effective tool for conducting rapid and precise assessments in geotechnical projects. This study focuses exclusively on static conditions, leaving seismic conditions for future research.

1. INTRODUCTION

Soil behavior is a critical aspect in civil and geotechnical engineering [1], as it determines the stability and safety of structures built on or within it [2, 3]. The physical and mechanical properties of the soil directly influence the performance of buildings, bridges, roads, and other infrastructures [4]. Understanding how soils respond to different loading conditions is crucial for anticipating failures and mitigating risks associated with landslides, settlements, or other geotechnical phenomena [5]. The diversity of soils in different regions of the world represents a significant challenge for geotechnical engineers [6]. These vary from highly cohesive clays to loose sands, each with unique characteristics that affect their behavior under stress [7-9]. The stability of a structure depends on properties such as density, cohesion, friction angle, and bearing capacity [9, 10], which not only differ between locations but also change over time due to factors such as moisture, temperature, or earthquakes [10]. Therefore, analyzing the soil in detail for each project is vital to design structures capable of resisting local conditions, ensuring their integrity, and avoiding stability issues [11, 12].

Soil mechanics, as a key subdiscipline of geotechnical engineering, focuses on studying the physical properties and mechanical behavior of the soil, critical aspects for structural safety [13, 14]. Among laboratory tests, the triaxial test stands

out for its ability to replicate real stress conditions. This method, especially in its static version, allows for the accurate assessment of shear strength, deformation, and failure mechanisms of the soil under controlled stress paths. Its robustness makes it an indispensable tool for obtaining data that guides geotechnical design, simulating realistic scenarios, and measuring essential parameters with high reliability, positioning it as a cornerstone in the research and practice of this discipline.

Given the importance of triaxial data, geotechnics has moved toward predictive models that integrate this information to forecast soil behavior under various conditions. These models are essential as they simulate responses to loads and environmental factors, optimizing safe and efficient designs. By combining experimental data with advanced techniques, they enable the evaluation of multiple scenarios without additional tests, saving time and resources. Moreover, their ability to address soil variability and complex phenomena improves accuracy, being key to mitigating risks in extreme events such as earthquakes or floods, and ensuring the durability of structures [15].

In this context, the integration of Python into soil mechanics marks a significant advancement for geotechnical analysis and modeling. With libraries like NumPy, Pandas, and Matplotlib, Python efficiently processes large volumes of data, automates complex calculations, and presents results clearly. It also drives predictive models that simulate soil behavior under different loads [16, 17], transforming geotechnical studies by providing greater precision and reliability in infrastructure design. Its flexibility and accessibility make it ideal for engineers seeking advanced tools for their projects.

This research develops and validates a Python-based predictive model to assess soil behavior under physical conditions, using data from static triaxial tests. The goal is to increase the accuracy and reliability of mechanical property characterization, providing an advanced tool for safe and efficient designs. Furthermore, it aims to overcome limitations of traditional approaches by considering the inherent variability of the soil, with the potential to impact geotechnical practice in seismically active areas or complex soils.

For this study, a comprehensive review of prior works on soil mechanics and geotechnics was conducted. Notably, a study [18] investigated the strength and dilatancy of sand stabilized with colloidal-silica gel, revealing enhanced shear strength and reduced dilation post-stabilization. The findings underscore the importance of nonlinear stress-dilatancy relationships in modeling soil behavior. Similarly, another study [19] examined tunneling-induced ground movements, highlighting the abrupt volume loss in collapsible soils under load, which is critical for excavation stability. These studies emphasize the challenges of reactive soils, such as expansive and collapsible types, whose mechanical responses to environmental factors like moisture, pressure, and load are complex [20]. Expansive soils exhibit swelling or contraction due to moisture fluctuations, leading to differential settlements or foundation failures, particularly in stabilized sands [20]. The heterogeneity and nonlinear properties of these soils, such as variable cohesion and friction angles, complicate traditional analyses. Collapsible soils, which experience sudden volume reduction under load, pose significant risks in tunneling projects.

Static triaxial tests are crucial for characterizing reactive soils, providing data on shear strength, dilation, and plastic deformation under controlled conditions. These tests also enable precise measurement of soil stiffness, particularly in unsaturated silty clays, which is essential for safe geotechnical designs. For instance, studies on soil-structure interactions in sandy soils highlight the importance of triaxial data for modeling tunneling effects [21]. However, manual analysis of triaxial data is time-consuming and error-prone, especially for

highly variable reactive soils like saturated or unsaturated clays. This challenge is amplified in seismic zones, where numerical analyses of soil reinforcement are critical [22].

To address these limitations, predictive models for soft soils, incorporating simple parameters like cohesion and friction angle, have been developed to enhance design accuracy [23]. Python-based automation, utilizing libraries such as NumPv, Pandas, and Matplotlib, further streamlines triaxial data analysis [24]. Automated stress path adjustments improve the measurement of soil stiffness, supporting robust geotechnical designs. Python scripts can also precisely determine geotechnical properties and visualize results interactively, as demonstrated in studies on Nasiriyah soil [25]. This approach enhances efficiency and accuracy, revolutionizing the design of structures on complex soils. Building on these advancements, the proposed model employs Python to analyze static triaxial data for reactive soils, incorporating nonlinear properties like dilation and failure modes in clays and unsaturated soils. It draws on methodologies from prior studies to automate calculations and enable dynamic adjustments for projects in geotechnically challenging or seismic areas [25].

This paper presents the development and validation of a predictive model for reactive soils, detailing Python-based data processing and algorithms for optimizing stress paths. The model is validated against experimental data and compared with established frameworks, demonstrating enhanced accuracy and efficiency. The study explores implications for geotechnical engineering and proposes future applications in nonlinear soil-structure interactions [25].

2. MATERIALS AND METHODS

The methodology of this study was organized into a series of key stages, carefully designed to ensure maximum accuracy and reliability in the obtained results. The research process began with conducting static triaxial tests in a controlled laboratory environment, which allowed for the collection of critical data on soil behavior under various loading conditions. Subsequently, a thorough and rigorous analysis of this data was carried out using Python, a powerful tool that facilitated the development of a highly robust predictive model, as shown in Figure 1.

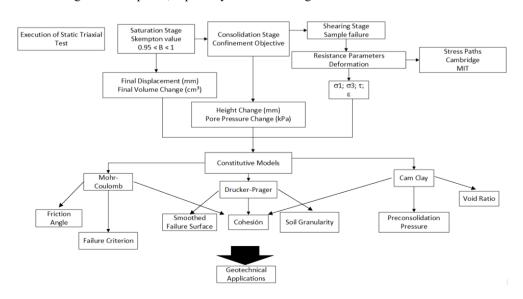


Figure 1. Model process

The model presented in Figure 1 not only integrates the experimental results but also allows for the simulation of complex scenarios, providing a more comprehensive and accurate assessment of soil behavior in different geotechnical contexts.

2.1 Soil sample preparation

The first stage of this study involved the collection and preparation of soil samples, which were obtained from different depths of the ground to ensure adequate representativeness of the geotechnical layers of the subsurface. Samples were extracted from two types of strata: shallow samples, taken at depths ranging from 1.0 to 2.0 meters, and deep samples, obtained from depths between 16.50 and 18.0 meters. To ensure the geotechnical representativeness of the soils, samples from distinct regions were included, with details described below:

Surface Sample: Silty sand with high plasticity, dark orange-brown in color, extracted from a shallow depth of 1.0 to 2.0 meters, also obtained through rotary drilling to ensure the collection of undisturbed samples.

Deep Sample: Clay with the presence of light brown sand, extracted from a depth of 16.50 to 18.0 meters, using the rotary drilling method to preserve sample integrity.

To ensure the quality of the experimental results, the samples were subjected to homogenization and conditioning processes to guarantee uniformity in terms of moisture content and density, as seen in Figure 2.

These procedures were carried out in accordance with the guidelines established by ASTM D1587-00 for undisturbed sample extraction and ASTM D698-00 for compaction tests.

This rigorous preparation process is crucial, as any variability in the initial properties of the samples could significantly influence the results of the tests, affecting the interpretation of the geotechnical data. During this preparation phase, three samples were evaluated for each depth section, with a total of 17,200 data points recorded for the full test, allowing for a precise and representative assessment of the soil behavior under the specific ground conditions.



Figure 2. Standardized sample preparation

2.2 Static triaxial tests

Static triaxial tests, conducted under carefully controlled conditions, are essential for determining the mechanical properties of the soil, such as its shear strength, behavior under various confinement pressures, and deformation capacity. To conduct these tests, a triaxial cell equipped with high-precision sensors was used, capable of measuring axial and radial stresses, as well as pore pressures. The tests followed the procedures outlined in the ASTM D4767-11 standard, which specifies the methods for performing consolidated and drained triaxial tests on cohesive soils. Figure 3 shows the samples after they had been saturated, consolidated, and failed during the triaxial test.

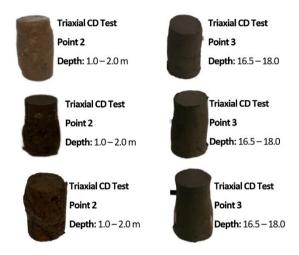


Figure 3. Post-failure specimens after triaxial testing

The samples were subjected to variable confinement pressures, simulating the actual loading conditions found in the field, and controlled drainage conditions were implemented to ensure that the shear strength parameters were measured with the highest accuracy. The rigorous control of experimental conditions allowed for reliable results that reflect the soil's behavior under different loading scenarios, which is essential for the proper design of geotechnical structures such as foundations, slopes, and retaining walls. Furthermore, these tests provided valuable data to feed the predictive model developed in the later stages of the study.

2.3 Python-based data analysis

Once the data obtained from the triaxial tests were collected, they were analyzed using Python, a programming language widely used in engineering due to its flexibility, ability to handle large volumes of data, and its extensive library of specialized tools.

First, the NumPy and Pandas libraries were used for data manipulation and processing, allowing for statistical calculations as well as the efficient transformation and organization of data sets. It is worth noting that, since triaxial tests include multiple stages (saturation, consolidation, and failure), several .log files are generated and organized for each of these stages. The number of .log files may vary depending on the sample's moisture content; for example, if the sample has high moisture, the saturation process may require fewer .log files compared to low-moisture samples, as seen in the different strata of the samples.

The data cleaning and normalization process was crucial at this stage, as it allowed for the elimination of any potential anomalies or errors in the data that could distort the analysis results. Through the use of advanced exploratory data analysis techniques, outliers were identified and corrected, ensuring the conditions for obtaining representative data of the soil's properties. This phase is essential to ensure that the results are as close as possible to the actual ground conditions, as

illustrated in the flowchart of the saturation data cleaning process in triaxial tests (Figure 4).

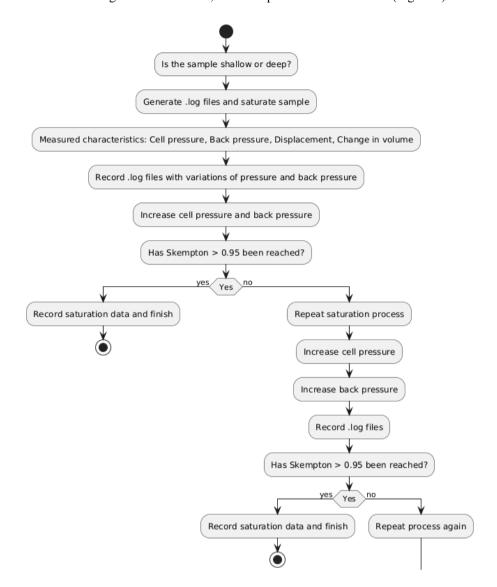


Figure 4. Workflow for automated saturation data cleaning in triaxial testing

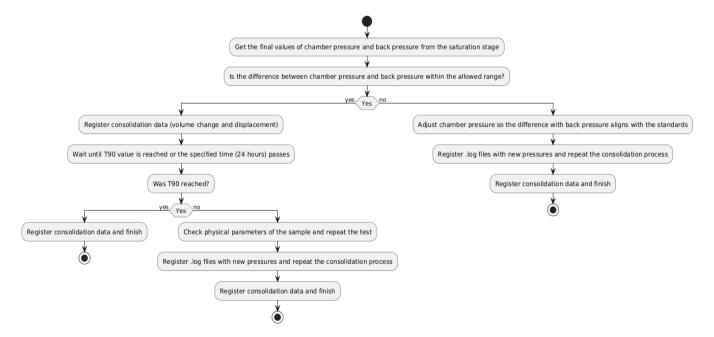


Figure 5. Consolidation data processing workflow for triaxial testing

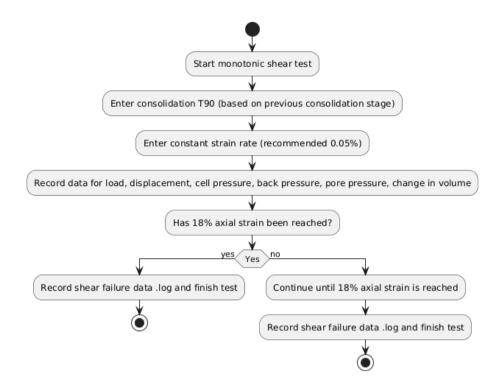


Figure 6. Failure data processing workflow for triaxial testing

The saturation analysis was carried out with the automation of complex calculations, allowing for the determination of critical geotechnical parameters. These data were processed and filtered according to the quality and quantity of the .log files generated during the saturation stage. As shown in Figure 4, this process ensures that only representative data are considered for the analysis of soil strength.

Once these calculations were performed, the procedures for consolidation and failure were also automated, facilitating the analysis of shear strength and deformability under different loading conditions. In the consolidation phase, confinement and back pressure were adjusted according to the results obtained during saturation, and data on volume change and displacement were recorded, as shown Figure 5.

During the failure phase, deformation and load data were recorded under a constant deformation rate, with particular attention to the values of chamber pressure and back pressure. As shown in Figure 6 the failure data were processed, and any anomalies in the results were corrected before the final interpretation.

The automation of the analysis allowed for greater accuracy and speed in calculating geotechnical parameters such as shear strength, resulting in a more efficient and reliable interpretation of the data obtained during the different phases of the triaxial test.

2.4 Design, simulation, and experimental validation of a predictive model

The predictive model developed in this study is based on advanced machine learning and regression techniques, which allowed for the identification of patterns and complex relationships between key variables studied, such as soil density, cohesion, and friction angle. Multiple regression algorithms were used to analyze the nonlinear relationships between these variables, providing a deeper understanding of the soil's mechanical behavior.

This study focuses on evaluating the influence of

geomechanical factors, such as confinement pressure and soil density, on the mechanical behavior of the soil, excluding seismic conditions due to the static nature of the triaxial tests. Models based on exploratory data analysis and regression algorithms were used to obtain the predictions, without employing complex cross-validation techniques like K-fold, which are considered more suitable for other types of models, such as those used in more advanced supervised learning.

To ensure the reliability of the predictive model, internal validation methods were used, such as comparing the results obtained with additional experimental data that were not used in the training phase. This process allowed for validating the model's ability to generalize to new conditions, confirming that the generated predictions are consistent with the experimental data and actual geotechnical conditions.

While the K-fold cross-validation method was not implemented in this study, it is an approach that could be considered in future research related to more complex predictive models, particularly in scenarios where further optimization of the model's accuracy is sought by validating different data subsets.

In the simulation phase, tests were carried out under different loading scenarios, using parameters obtained from the triaxial tests. These simulations included variations in confinement pressure and soil density, replicating real geotechnical conditions to evaluate the soil's behavior under different static loading conditions. The results of the simulations were validated by comparing the model's predictions with additional experimental data not used in the training phase. This comparison allowed for evaluating the model's ability to generalize and its applicability in real situations, showing a high correlation between the predictions and experimental data.

Model validation was crucial to confirm its accuracy and robustness. The success of the model during validation ensures its applicability in geotechnical projects, providing engineers with a valuable tool for planning and designing infrastructure, especially in areas with complex soils and variable loading conditions. This predictive model not only optimizes decisionmaking in geotechnical engineering but also offers greater reliability in risk assessment and the design of infrastructure resilient to seismic events.

This study laid the foundation for optimizing predictive

models in the field of geotechnical engineering, and its implementation will be a key step in future research, where the use of techniques like K-fold cross-validation could be explored for a more rigorous evaluation of the model. Below, the scripts that support this study are presented.

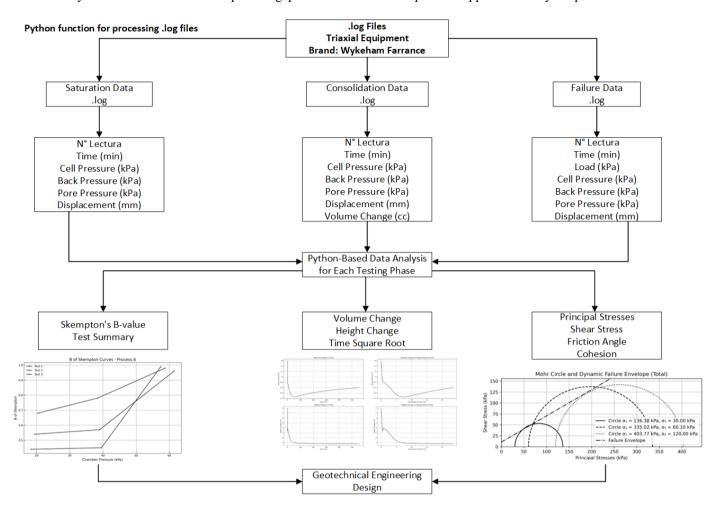


Figure 7. Python implementation in the model to analyze the mechanical behavior of reactive soils

Saturation Analysis

Appendix A: The Python script used to calculate Skempton's B during the saturation phase is available in the final appendix of the article. This script processes the .rar files, extracts the relevant data, and calculates the Skempton's B parameter. Details on its functionality can be found in the appendix.

Consolidation Analysis

Appendix B: The Python script used to calculate consolidation is available in the final appendix of the article. This script processes the data from the .log files and calculates additional columns such as the square root of time, height change, and other parameters related to soil consolidation. Details on its functionality can be found in the appendix.

Failure Analysis

Appendix C: The Python script used to calculate stresses and other parameters during the failure stage is available in the final appendix of the article. This script processes the data from the .log files and calculates parameters such as deviatoric stress, unit strains, and principal stresses, which are crucial for analyzing the soil's behavior during the failure phase. Details on its functionality can be found in Appendix C.

Elasticity Modulus Analysis

Appendix D: The Python script used to calculate the

elasticity modulus is available in the final appendix of the article. This script processes the data from the .log files, calculates the elasticity modulus in the elastic region of the σ_1 vs. Unit Strain curve, and visualizes the interactive graph. Details on its functionality can be found in Appendix D.

Creep and Elasticity Analysis (MOHR MODEL)

Appendix E: The Python script used to generate the Mohr-Coulomb yield surface is available in the final appendix of the article. This script visualizes the yield surface based on the Mohr-Coulomb model, using the internal friction angle, cohesion, and stress range to show how the yield surface varies under different conditions. Details on its functionality can be found in Appendix E.

The following figure presents a diagram developed in Python to evaluate the mechanical behavior of "reactive" soils. This diagram is fundamental as it illustrates the predictive model that integrates various geotechnical and physical parameters for simulating soil behavior under static conditions.

Figure 7 provides a clear visual representation of how experimental data from the triaxial tests are organized and processed using Python, showing the interactions between key geotechnical variables such as cohesion, density, and other relevant parameters. Additionally, it should be emphasized

that this diagram not only validates the methodology used but also illustrates the potential of computational tools, such as Python, to model complex scenarios that are common in geotechnical engineering, enhancing the accuracy and reliability of the analysis.

3. RESULTS

3.1 Analysis of results

The analysis of the results obtained from the static triaxial tests and the predictive model developed with Python provides a detailed insight into the mechanical behavior of the soil under various conditions. Two types of soil samples, shallow and deep, were evaluated to study their behavior under different loading conditions. The samples were collected from specific depths, and the key findings are presented below, organized according to the main conditions of shallow and deep soil.

3.2 Saturation test results

The saturation test evaluates the soil's ability to reach a fully saturated state under controlled conditions, which is crucial for understanding soil behavior in geotechnical applications, as shown in Figure 8. The variables analyzed include Skempton's B coefficient, chamber and pore pressures, and displacements, as shown in Table 1.

According to the results presented in Table 1, two types of soil samples were analyzed:

- Shallow Sample (1.50-2.00 m): Silty sand with low cohesion and high permeability. Saturation was reached with relatively low chamber pressure, showing greater ease of saturation.
- Deep Sample (16.50-18.00 m): Clay with low plasticity, higher cohesion, and lower permeability, requiring higher chamber pressures to reach saturation.

Skempton's B Coefficient: The values close to 1 in both samples suggest that saturation was effective. The slight decrease in the deep sample (0.95) may be associated with its higher cohesion.

Displacements: In the shallow sample, the initial negative displacements indicate a slight contraction, while the displacements in the deep sample are higher, reflecting a plastic behavior typical of clayey soils.

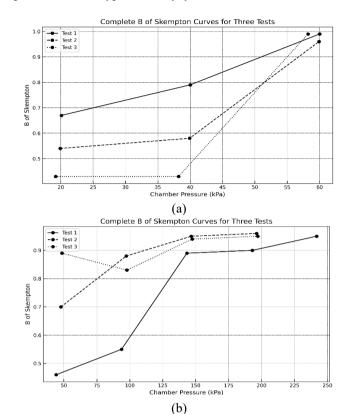


Figure 8. Full saturation achieved in both surface and deep soil samples

Analysis of Results:

Table 1. Experimental results of soil saturation tests

		Cell P	ressure (kPa) l	Pore Pressure (kPa)	B Skempton	Initial Displacement (mm)	Final Displacement (mm)
		P1	40.00	63.5	0.99	7.767	-0.531
SURFACE	Sample 1 1.50-2.00m	P2	39.90	61.8	0.97	3.345	2.276
		P3	38.20	60.8	0.99	3.933	2.515
		P1	241.80	230.80	0.95	6.425	8.2
DEEP	Sample 2 16.50-18.00m	P2	196.30	185.70	0.95	9.325	11.467
		P3	197.10	189.40	0.95	8.465	9.387

Table 2. Experimental results of the consolidation process

			Height Change (mm)	Pore Pressure (kPa)	Cell Pressure (kPa)	Back Pressure (kPa)	σ ₃ (kPa)
SURFACE	Sample 1 1.50 - 2.00m	P1	7.25	-22.1	80	50	30
		P2	2.19	-55.9	100	39.9	60.1
		P3	2.08	-111.4	180	60	120
DEEP	Cample 2	P1	5.54	-47.6	300	200	100
	Sample 2 16.50-18.00m	P2	8.24	-97.7	399.9	200	199.9
	10.30-18.00111	P3	10.05	-113.5	430	30	400

3.3 Consolidation test results

Consolidation is a key process for assessing soil stability under sustained loads. The results obtained in Table 2 allow for the comparison of the mechanical behavior of shallow and deep soils in terms of height changes, pore pressure, and confinement under different loading conditions.

Analysis of Results:

Shallow Sample (1.50-2.00 m): At low confinement pressures, a high initial deformation is observed. As the

confinement pressure increases, the deformation decreases significantly, reflecting soil stabilization.

Deep Sample (16.50-18.00 m): A more plastic behavior and slower consolidation are observed, which is typical of clayey soils. The consolidation process is more prolonged due to the low permeability of the clay.

The curves in Figure 9 indicate a typical consolidation behavior, where most of the compression occurs in the early moments after the load is applied. The soil shows a rapid reduction in both volume and height initially, which is characteristic of low cohesion soils (such as silty sands, SM) when subjected to consolidation. As time progresses, the stabilization observed in the graphs indicates that primary consolidation is nearing completion, and any further change would be part of secondary consolidation, which is much slower.

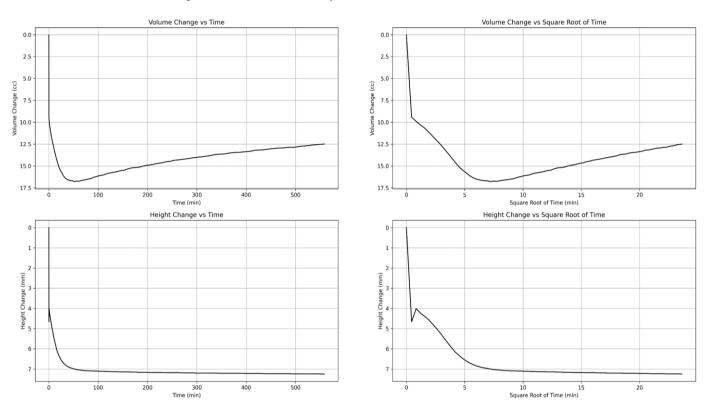


Figure 9. Graphical interpretation of the consolidation stage for surface sample No. 1

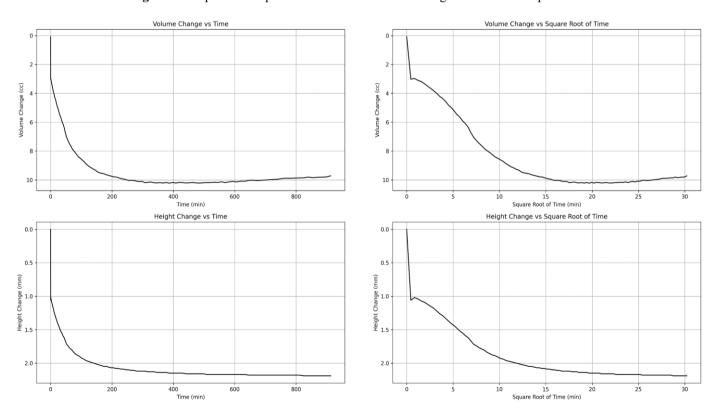


Figure 10. Graphical interpretation of the consolidation stage for surface sample No. 2

In this shallow SM soil sample from Figure 10, consolidation is rapid in the first few minutes, with significant compression and expulsion of water initially. The subsequent stabilization, characteristic of soils with high permeability and low cohesion, indicates that primary consolidation predominates, while secondary consolidation has a minimal impact.

This Figure 11 confirms the typical behavior of an SM soil

under consolidation, where rapid deformation and water expulsion initially stabilize quickly. Primary consolidation dominates, with a secondary phase having minimal impact.

In this Figure 12 with a CL sample, consolidation is more prolonged due to the low permeability and higher cohesion, which causes a slower consolidation process. The curves reflect an extended primary consolidation, followed by gradual stabilization, typical of clayey soils.

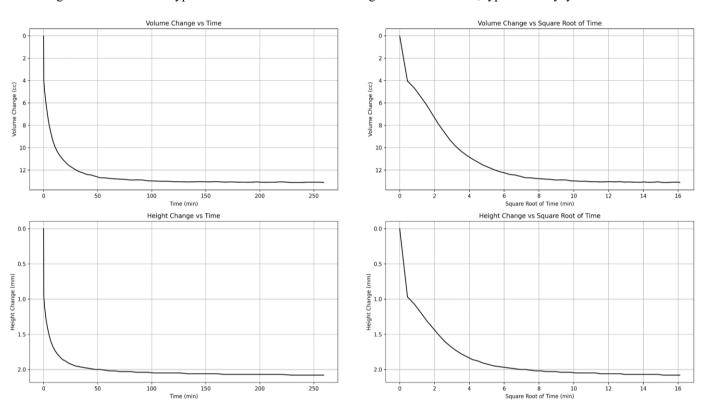


Figure 11. Graphical interpretation of the consolidation stage for surface sample No. 3

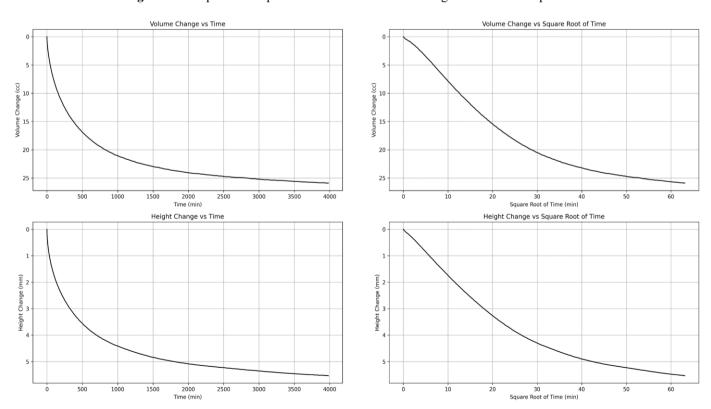


Figure 12. Graphical interpretation of the consolidation phase for deep sample No. 1

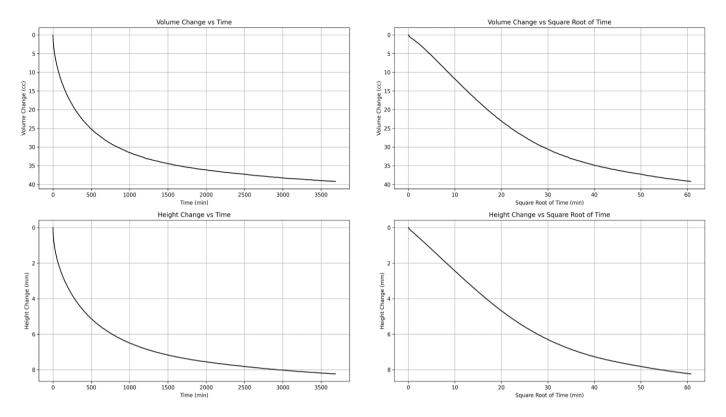


Figure 13. Graphical interpretation of the consolidation phase for deep sample No. 2

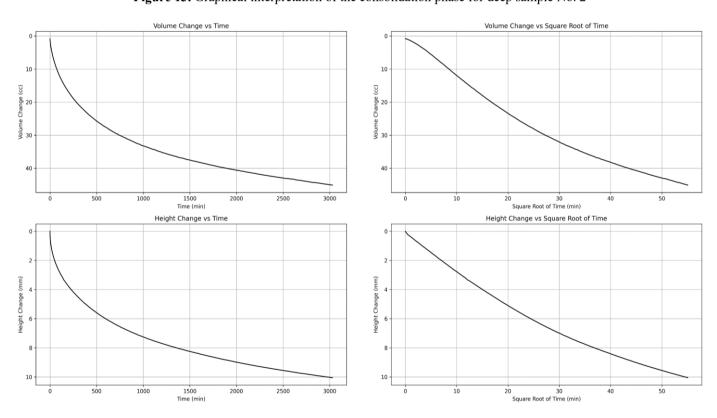


Figure 14. Graphical interpretation of the consolidation phase for deep sample No. 3

Figure 13 shows prolonged consolidation in CL soils, with a slow and continuous reduction in volume and height. Although primary consolidation continues to dominate, its duration is considerably longer than in less cohesive soils such as SM.

Figure 14 confirms prolonged consolidation in CL soils, with a controlled reduction in volume and height due to the soil's cohesion and low permeability. The curves reflect an

extended primary consolidation process, with slow stabilization, typical of clayey soils.

4. FAILURE ENVELOPE

The failure envelope evaluates the soil behavior under increasing stresses until failure, using criteria such as Mohr-

Coulomb to describe its resistance.

Analysis of Results from Table 3:

Shallow Sample (1.50-2.00 m): The progressive increases in confinement pressure (σ_3) and major principal stress (σ_1) show a typical response of granular soil under increasing stresses. The differences between total and effective stresses are small, indicating that pore pressure has a minor impact on the soil's strength.

Deep Sample (16.50-18.00 m): The differences between total and effective stresses are more noticeable, reflecting the significant influence of pore pressure. In clayey soils like this

sample, excess pore pressure reduces strength, making the maximum effective shear stress significantly lower than the total.

Analysis of Results from Table 4:

Shallow Sample (1.50-2.00 m): The strength is dominated by internal friction, with low total cohesion. The friction angle reflects the frictional behavior of the soil.

Deep Sample (16.50-18.00 m): The effective cohesion is higher in deep soils, suggesting that shear strength is more influenced by cohesion and pore pressure than in shallow soils.

Table 3. Shear failure test results

			σ_D (kPa)	σ ₁ (kPa)	σ ₃ (kPa)	σ'_1 (kPa)	σ'_3 (kPa)	τ _{max} (kPa)	τ' _{max} (kPa)	$(\sigma_1 + \sigma_3)/2$ (kPa)	$(\sigma'_1+\sigma'_3)/2$ (kPa)
		P1	106.38	136.38	30.00	148.88	42.50	53.19	53.19	83.19	95.69
SURFACE	Sample 1 1.50-2.00 m	P2	274.92	335.02	60.10	360.82	85.90	137.46	137.46	197.56	223.36
		P3	283.77	403.77	120.00	379.57	95.80	141.88	141.88	261.88	237.68
		P1	39.61	139.61	100.00	93.71	54.10	19.81	19.80	119.80	73.90
	Sample 2										
DEEP	16.50-18.00	P2	56.09	255.99	199.90	170.49	114.40	28.04	28.04	227.94	142.44
	m										
		P3	78.03	478.03	400.00	379.13	301.10	39.01	39.04	439.02	340.12

Table 4. Final parameters from the triaxial test

Mohr-Coulomb Parameters						
Depth	Sample	Condition	Friction Angle (°)	Cohesion (kPa)		
CLIDEACE	Sample 1	Total	30.96	10.2		
SURFACE	1.50-2.00 m	Effective	34.99	0		
DEEP	Sample 2	Total	5.71	6.8		
	16.50-18.00 m	Effective	5.71	13.9		

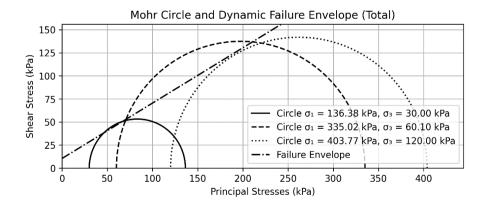


Figure 15. Mohr's circle and dynamic failure envelope (total)-superficial

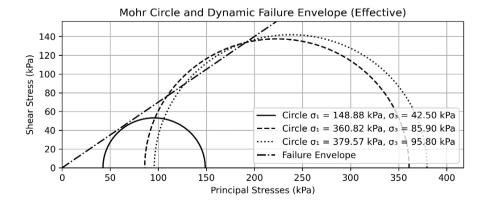


Figure 16. Mohr's circle and dynamic failure envelope (effective)-superficial

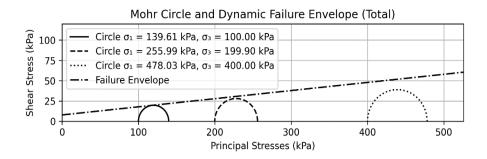


Figure 17. Mohr's circle and dynamic failure envelope (total)-profound

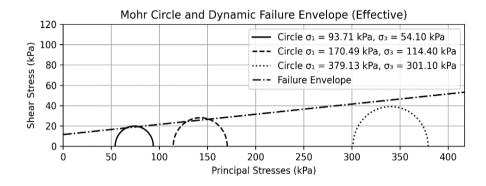


Figure 18. Mohr's circle and dynamic failure envelope (effective)-profound

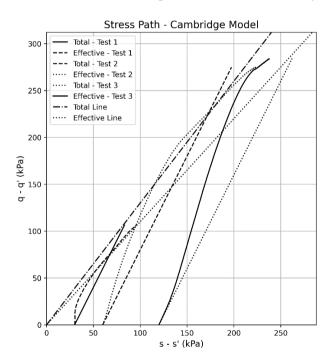


Figure 19. Stress path-Cambridge model- superficial

In granular soils, such as SM, total cohesion is low, which is related to their high permeability. Although total cohesion may appear due to factors such as compaction, its value remains relatively small. Figure 15 shows the soil's response under total stresses, without accounting for the effects of pore pressure.

In this Figure 16, the effects of pore pressure are removed, showing the effective stresses. The effective cohesion is reduced to zero, and the effective friction angle is higher, reflecting the true bearing capacity of the soil, dominated by friction.

For clayey soils such as CL, total cohesion is low due to pore pressure. Figure 17 shows the total stresses, which include pore pressure, reducing the overall strength of the soil.

The analysis of effective stresses reveals that the effective cohesion is considerably higher than the total cohesion, which reflects in Figure 18 the stabilizing effect of the soil structure under conditions of high saturation.

As observed in Figure 19, the behavior of the soil under conditions of total and effective stresses reflects a characteristic behavior of granular soils, where friction is the primary factor influencing shear strength.

Figure 20 illustrates the behavior of both total and effective stresses using the MIT model. Both models exhibit linear and similar trajectories, which reinforces the importance of friction in shear strength.

Based on the interpretation of the graphs, the results of the two stress trajectories in the two soil types for the surface stratum can be concluded, as presented in Table 5.

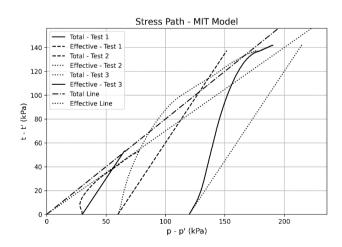


Figure 20. Stress path + MIT model

Table 5. Stress-path analysis results (surface sample)

		MIT						
			α	a (kPa)				
SURFACE	Muestra 1	Total	38.66	0				
SM	1.50-2.00m	Effective	34.99	0				
CAMBRIDGE								
			M	Intercept (kPa)				
SURFACE	Muestra 1	Total	1.3	0				
SM	1.50-2.00m	Effective	1.2	0				

Cohesion: In both models (Cambridge and MIT), cohesion is zero (0kPa), which is characteristic of granular soils such as SM.

Friction Angle: It reflects a purely frictional behavior, typical of granular soils. The values of M and α are suitable for sandy-silty soils, where strength depends entirely on interparticle friction.

Cambridge Model vs. MIT Model: Both models exhibit linear behavior with a slope governed by friction, showing no significant cohesion effects.

In Figure 21, the stress path under the MIT model is shown, which helps to visualize the shape of the stress trajectory under conditions of high confining pressure.

Similarly, Figure 22 illustrates the stress trajectory under the Cambridge model, highlighting the importance of cohesion in soils with low friction.

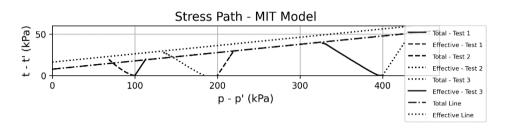


Figure 21. Stress path-MIT model

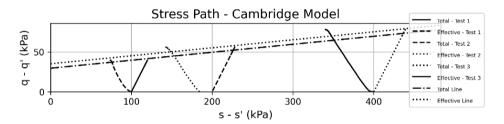


Figure 22. Stress path-Cambridge model

Table 6. Stress-path analysis results (deep sample)

		MIT							
			α	a (kPa)					
DEEP	Sample 2	Total	5.71	9.2					
CL	16.50-18.00 m	Effective	5.71	15.5					
	CAMBRIDGE								
			M	Y-intercept (kPa)					
DEEP	Sample 2	Total	0.1	29.6					
CL	16.50-18.00 m	Effective	0.1	35.2					

Based on the interpretation of the graphs, the results of the two stress trajectories in the two soil types for the deep stratum can be concluded, as presented in Table 6.

Significant Cohesion: In both the MIT and Cambridge models, the effective cohesion is considerable (15.5 kPa and 35.2 kPa, respectively), which is common in saturated clayey soils. This cohesion is the primary factor controlling the soil's shear strength.

Low Friction Angle: The angle α and the parameter M are low, indicating minimal interparticle friction. In soils with high moisture content (115%), effective friction decreases significantly, leaving cohesion as the dominant factor.

Linear Trajectories: Both graphs display smooth or nearly horizontal trajectories, suggesting that the soil exhibits cohesive behavior with little additional resistance derived from friction.

Elastic Analysis

Based on the results obtained at the failure stage of the

triaxial test, a linear behavior in the elastic modulus is observed for both evaluated soil types: the surface silty sand and the low-plasticity clay at depth, under varying confinement levels. This linear behavior allows for a preliminary assessment of each soil's stiffness response under applied loading conditions, which is relevant for future geotechnical applications.

However, it is important to note that both soils exhibit specific limitations that must be considered for their use in geotechnical engineering:

Surface Silty Sand (Collapsible):

The silty sand exhibits high variability in its elastic modulus, with a significant increase in values as confining pressure rises. This indicates that the soil has an adequate hardening capacity under confined loading but also reveals its high sensitivity to factors such as density and moisture. This variability could lead to differential settlements if not properly controlled during construction.

For shallow geotechnical applications, the silty sand may be suitable provided that efficient compaction methods and strict quality controls are implemented. This approach can minimize variability in its behavior and ensure consistent, predictable performance throughout the structure's service life.

Low-Plasticity Clay at Depth (Expansive):

In contrast, the deep soil, characterized by low-plasticity clay, exhibits a significantly lower elastic modulus, implying limited stiffness even under high confinement levels. This property is typical of clays and suggests that the soil is prone

to long-term plastic deformations, particularly in deep foundation projects or structures subjected to permanent loads.

Due to its compressible behavior, the use of this clay in structural applications requires mitigation measures, such as deep foundations (e.g., piles) or soil improvement techniques. These interventions are essential to reduce the risk of significant settlements that could compromise the stability of structures relying on this soil type.

Limitations of the Predictive Model and Considerations for Its Applicability

The predictive model developed in this study demonstrates a notable ability to simulate the mechanical behavior of soils under static conditions, but it presents limitations that must be considered for its proper interpretation and application:

Variability in Soil Properties: While the model captures essential geotechnical characteristics of "reactive" soils such as cohesion, density, and friction angle it relies on a representative dataset that does not encompass the full range of possible heterogeneity within a stratum. Factors such as irregular grain size distribution, lateral stratification, or local variations in mineralogical composition are only partially addressed. This simplification may reduce its accuracy in soils with high spatial or textural variability, limiting its reliability in more complex geotechnical scenarios. To address this, future developments could incorporate stochastic modeling techniques or expand the dataset with samples reflecting greater diversity.

Prediction Under Extreme Conditions: The model performs robustly under controlled static conditions, but its effectiveness diminishes when simulating highly dynamic, complex scenarios, such as full saturation, extreme fluctuations in confining pressure, or intense seismic loading. Phenomena such as seismic wave propagation, liquefaction, or advanced nonlinear soil behavior under these conditions are not explicitly addressed, as the static focus of the triaxial test limits their representation. Enhancing its applicability would require integrating data from dynamic tests (e.g., cyclic triaxial tests) and refining the algorithms to model transient responses, which could be explored in future research.

Representativeness of the Dataset: The model was developed and validated using a finite set of samples from surface and deep soils, restricting its generalization to other soil types or geotechnical contexts not represented in the study. For instance, soils with high organic content, volcanic deposits, or extreme hydrogeological conditions may require specific adjustments that the current model does not account for. This reliance on the initial dataset suggests that its practical applicability may be limited outside the studied range. It is recommended to expand the experimental base with a broader variety of soils and conditions, as well as to conduct cross-validations at real sites to assess its robustness and adaptability.

5. CONCLUSIONS

• The integration of Python into the analysis of triaxial test data has enabled a more accurate and efficient evaluation of the mechanical properties of soils. The automation of complex calculations and the use of advanced analytical techniques, such as multiple regression, have significantly improved the reliability and speed of the process. This has resulted in more consistent and reproducible outcomes compared to traditional methods, facilitating decision-

- making in geotechnical projects.
- The predictive model developed in Python has demonstrated a high capacity to simulate soil behavior under various static loading conditions. Although seismic conditions were mentioned in the model's introduction, the current focus does not include seismic analysis. This model has been validated by comparing predictions with experimental data obtained from triaxial tests. The simulations have shown good correlation with experimental results, ensuring its applicability in the planning and design of geotechnical infrastructure.
- The results obtained from deep samples indicate that pore
 pressure has a significant impact on the shear strength of
 clayey soils. Under high saturation conditions, effective
 cohesion is significantly greater than total cohesion,
 underscoring the importance of controlling pore pressure
 in the design of structures on cohesive soils, particularly
 clayey soils with high moisture content.
- The predictive model developed has proven effective in simulating soil behavior under static conditions, accounting for factors such as confining pressure and variability in soil properties. However, the modeling of seismic conditions and their integration with confining pressure parameters will be addressed in future research, as they are beyond the current scope of this study.
- Through a detailed analysis of the results, particularly during the consolidation phase, it has been observed that surface soils (silty sands) undergo rapid consolidation under moderate loads. In contrast, deep soils (clayey) require a more cautious design approach due to their plastic behavior and longer consolidation time. This understanding will enable engineers to optimize foundation design, enhancing the efficiency and safety of structures by considering the specific characteristics of the soils.
- The research has demonstrated that the proposed analysis approach is particularly valuable for evaluating soils under extreme conditions, such as high saturation. Furthermore, the use of advanced computational models allows for the simulation of multiple scenarios without the need for additional testing, saving time and resources. This makes the approach highly efficient for large-scale projects.

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NOMENCLATURE

- B Skempton's pore pressure parameter
- c Soil cohesion, kPa
- e Void ratio
- p Confining pressure, kPa
- q Deviatoric stress, kPa
- t Maximum shear stress on failure plane, kPa

Greek symbols

- α Compressibility coefficient, m². kN-¹
- γ Unit weight, kN·m⁻³
- φ Friction angle, degrees
- σ Normal stress, kPa
- τ Shear stress, kPa

Subscripts results.append({ 'cell press': df['cell press'].iloc[i], Consolidated 'pore_press': df['pore_press'].iloc[i], c Undrained 'B': b value u d Drained }) return { **APPENDIX** 'initial disp': df['displacement'].iloc[0]. 'final disp': df['displacement'].iloc[-1], Appendix A: Python Script to Compute Skempton's Pore 'max B': max(r['B'] for r in results) if results else Pressure Coefficient (B) in Soil Saturation None, 'full curve': results import tkinter as tk } from tkinter import filedialog, messagebox def plot results(self, test data): import pandas as pd """Generate B-value vs cell pressure plot""" import matplotlib.pyplot as plt matplotlib.backends.backend tkagg fig, ax=plt.subplots(figsize=(8,5)) from import FigureCanvasTkAgg for i, data in enumerate(test data): if data['full curve']: class SkemptonBAnalysis: x=[d['cell press'] for d in data['full curve']] def __init__(self): y=[d['B'] for d in data['full curve']] ax.plot(x, y, label=f"Test {i+1}", """GUI application for calculating Skempton's B parameter during soil saturation""" linestyle=['-','--',':'][i], color='black') self.root=tk.Tk() self.setup ui() ax.set xlabel("Cell Pressure (kPa)") ax.set ylabel("Skempton's B Parameter") def setup ui(self): ax.legend() """Initialize user interface components""" return fig self.root.title("Skempton's B Parameter Analysis") self.file paths=[None]*3 if name ==" main ": self.create file buttons() app = SkemptonBAnalysis() tk.Button(self.root, text="Calculate B Parameters", app.root.mainloop() command=self.analyze data).pack(pady=10) Appendix B: Automated Consolidation Analysis Tool def calculate b(self, delta p cell, delta u): (Python Implementation) """Compute Skempton's B parameter import pandas as pd Args: delta p cell: Change in cell pressure (kPa) import matplotlib.pyplot as plt delta u: Change in pore pressure (kPa) import math Returns: from scipy.optimize import curve fit B-value (unitless) class ConsolidationAnalyzer: return delta u / delta p cell if delta p cell >10 else None # 10 kPa threshold Automated analysis of oedometer/consolidation test data Implements standard methods (log-time and \sqrt{t}) per def analyze test data(self, file path): **ASTM D2435** """Process triaxial test log file Args: file_path: Path to .log file def __init__(self, test_files): Returns: dict: Contains max B-value and displacement data Initialize with test data files df=pd.read csv(file_path, delim whitespace=True, test files: List of paths to .log test files skiprows=1) results=[] self.test data=[self. load test data(f) for f in test files] for i in range(1, len(df)): delta_p=df['cell_press'].iloc[i] def load test data(self, filepath): df['cell_press'].iloc[i-1] """Load and preprocess consolidation test data""" df=pd.read csv(filepath, delta u =df['pore press'].iloc[i]delim whitespace=True, df['pore_press'].iloc[i-1] skiprows=3, names=['time', 'load', 'disp', 'cell p', if delta p > 10 and delta u > 0: # Validation criteria 'back p', b_value = self.calculate_b(delta_p, delta_u) 'pore_p', 'axial_strain', 'vol_change'])

```
df['sqrt time']=df['time'].apply(math.sqrt)
                                                                             import matplotlib.pyplot as plt
        return df
                                                                             class ShearStrengthAnalyzer:
     def calculate cv sqrt method(self, test df):
        """Determine coefficient of consolidation (cv) using
                                                                                Implements Mohr-Coulomb failure criteria analysis from
Taylor's √t method"""
                                                                          triaxial test data
        # Implementation of Taylor's method...
                                                                                Calculates \varphi (friction angle) and c (cohesion) per ASTM
        return cv. t90 # Returns cv (m<sup>2</sup>/vr) and t90 (min)
                                                                          D3080
     def calculate cc log method(self, test df):
        """Calculate compression
                                          index
                                                   (Cc)
                                                                                def __init__(self, test_data):
                                                             using
Casagrande's log-time method"""
        # Implementation of Casagrande's method...
                                                                                  Initialize with processed test data
        return cc, pc # Returns Cc (unitless) and
preconsolidation pressure (kPa)
                                                                                     test data: List of DataFrames containing:
                                                                                        - σ<sub>1</sub>: Major principal stress (kPa)
     def generate plots(self, test index):
                                                                                        - σ<sub>3</sub>: Minor principal stress (kPa)
        """Create standardized consolidation plots"""
                                                                                        - σ'<sub>1</sub>: Effective major stress (kPa)
                                                                                        - σ'<sub>3</sub>: Effective minor stress (kPa)
        fig, (ax1, ax2)=plt.subplots(1, 2, figsize=(12,5))
                                                                                   ,,,,,,
        # Time-settlement plot
                                                                                  self.test data=test data
        ax1.plot(self.test data[test index]['time'],
                                                                                   self.results={
             self.test data[test index]['disp'],
                                                                                     'total': {'φ': None, 'c': None},
             'k-', label='Settlement')
                                                                                     'effective': {'φ': None, 'c': None}
        ax1.set xlabel("Time (min)")
        ax1.set vlabel("Displacement (mm)")
                                                                                def mohr coulomb fit(self, stresses):
        # \sqrt{t} plot with cv calculation
                                                                                   """Fit Mohr-Coulomb failure envelope
        ax2.plot(self.test data[test index]['sqrt time'],
                                                                                   Args:
             self.test data[test index]['disp'],
                                                                                     stresses: Array of (\sigma, \tau) pairs
             'k-', label='√t Method')
                                                                                   Returns:
        # Add cv calculation annotations...
                                                                                     c (kPa), φ (radians)
        return fig
                                                                                  def envelope(\sigma, c, tan\varphi):
                                                                                     return c+\sigma * tan\phi
     def generate report(self):
                                                                                  \sigma=stresses[:,0]
        """Compile analysis results into summary table"""
        results =[]
                                                                                   \tau = stresses[:,1]
        for i, df in enumerate(self.test data):
                                                                                  popt, =curve fit(envelope, \sigma, \tau)
           cv, =self.calculate cv sqrt method(df)
                                                                                  return popt[0], np.arctan(popt[1]) # c, \varphi
           cc, =self.calculate cc log method(df)
           results.append({
                                                                                def calculate parameters(self):
                                                                                   """Compute total and effective strength parameters"""
             'Test': i+1,
             Cv (m^2/yr): f'' (cv:.2e),
                                                                                  # Prepare stress states at failure
             'Cc': f''{cc:.3f}",
                                                                                  total stresses =[]
             'Final Settlement (mm)': f"{df['disp'].iloc[-
                                                                                   effective stresses =[]
1]:.2f}"
                                                                                   for test in self.test data:
        return pd.DataFrame(results)
                                                                                     failure idx=test['deviator stress'].idxmax()
                                                                                     \sigma1=test.loc[failure idx, '\sigma1']
                                                                                     \sigma3=test.loc[failure idx, '\sigma3']
  # Example usage
  if __name__ == "__main __":
                                                                                     \sigma1 eff=test.loc[failure idx, '\sigma\'1']
     analyzer=ConsolidationAnalyzer(["test1.log",
                                                                                     \sigma3 eff=test.loc[failure idx, '\sigma\'3']
"test2.log", "test3.log"])
     report=analyzer.generate report()
                                                                                     # Convert to (\sigma, \tau) space
     fig=analyzer.generate plots(0)
                                                                                     total stresses.append([
     plt.show()
                                                                                        (\sigma 1 + \sigma 3)/2, \# \sigma
                                                                                        (\sigma 1 - \sigma 3)/2 \# \tau
Appendix C: Python Implementation of Shear Strength
                                                                                     ])
Failure Criteria
                                                                                     effective stresses.append([
                                                                                        (\sigma 1 \text{ eff}+\sigma 3 \text{ eff})/2,
  import pandas as pd
                                                                                        (\sigma 1_eff-\sigma 3_eff)/2
                                                                                     ])
  import numpy as np
   from scipy.optimize import curve_fit
```

```
(kPa)
       # Fit failure envelopes
       self.results['total']['c'],
                                                                             self.r squared=None # Will store regression quality
φ total=self.mohr coulomb fit(
                                                                     metric
          np.array(total stresses))
       self.results['effective']['c'],
                                                                                 calculate initial modulus(self,
                                                                                                                   strain range=(0,
φ eff=self.mohr coulomb fit(
                                                                     (0.5):
          np.array(effective stresses))
                                                                             Calculate initial tangent modulus in specified strain
       self.results['total']['\phi']=np.degrees(\phi total)
                                                                     range (%)
       self.results['effective']['φ']=np.degrees(φ eff)
                                                                               strain range: Tuple of (min, max) strain percentage
       return self.results
                                                                     for linear region
                                                                             Returns:
     def plot mohr circles(self):
                                                                               Modulus in kPa, regression statistics
        """Generate Mohr circle visualization"""
       fig, ax=plt.subplots(figsize=(8,6))
                                                                             # Convert percentage to decimal
                                                                             min strain=strain range[0]/100
       # Plotting logic for Mohr circles...
                                                                             max strain=strain range[1]/100
       # Includes failure envelopes for total and effective
                                                                             # Filter data in elastic range
stresses
                                                                             elastic data=self.data[
        ax.set xlabel("Normal Stress (kPa)")
                                                                               (self.data['axial strain']>=min strain) &
       ax.set ylabel("Shear Stress (kPa)")
                                                                               (self.data['axial strain'] <= max strain)
       return fig
  if name ==" main ":
                                                                             # Perform linear regression
     # Example usage
                                                                             slope, intercept, r_value, _, _=linregress(
     test data=[pd.read csv(f"test_{i}.csv") for i in range(3)]
                                                                               elastic data['axial strain'],
     analyzer=ShearStrengthAnalyzer(test data)
                                                                               elastic data['deviator stress']
     results=analyzer.calculate parameters()
     print(f"Total Stress-c: {results['total']['c']:.1f} kPa, φ:
                                                                             self.modulus=slope#kPa
\{\text{results}['\text{total'}]['\phi']:.1f\}^{\circ}"
                                                                             self.r squared=r value**2
     print(f"Effective Stress-c': {results['effective']['c']:.1f}
kPa, φ': {results['effective']['φ']:.1f}°")
                                                                             return self.modulus, self.r squared
     analyzer.plot mohr circles()
                                                                          def calculate secant modulus(self, strain point=0.5):
     plt.show()
                                                                             Calculate secant modulus at specified strain (%)
Appendix D: Python Script for Elastic Modulus
Determination
                                                                               strain point: Strain percentage for modulus
                                                                     calculation
  import pandas as pd
                                                                             Returns:
  import numpy as np
                                                                               Secant modulus in kPa
  import matplotlib.pyplot as plt
  from scipy.stats import linregress
                                                                             target strain=strain point/100
                                                                             nearest idx=(self.data['axial strain']
  class ElasticModulusAnalyzer:
                                                                     target strain).abs().idxmin()
     Determines elastic modulus (E) from triaxial test data
                                                                             stress=self.data.loc[nearest idx, 'deviator stress']
     Implements ASTM D3999 (Standard Test Methods for
                                                                             strain=self.data.loc[nearest idx, 'axial strain']
Modulus of Elasticity)
                                                                             return stress/strain # kPa
          _init__(self, stress_strain_data):
                                                                          def plot modulus determination(self):
                                                                             """Generate standardized plot showing modulus
                                                                     calculation"""
       Initialize with stress-strain data
                                                                             fig, ax=plt.subplots(figsize=(8,6))
        Args:
          stress strain data: DataFrame containing:
            - axial strain: Axial strain (decimal)
                                                                             # Full stress-strain curve
             - deviator stress: Deviator stress (kPa)
                                                                             ax.plot(self.data['axial strain']*100,
        .....
                                                                                 self.data['deviator_stress'],
       self.data=stress strain data
                                                                                 'k-', label='Test Data')
        self.modulus=None # Will store calculated modulus
```

```
# Highlight elastic region if calculated
                                                                             Initialize with processed triaxial test data
       if self.modulus:
                                                                             Args:
          elastic data=self.data[
                                                                               test data: List of dicts containing:
                                                                                  - sigma1: Major principal stress at failure (kPa)
(self.data['axial strain']>=self.modulus range[0]) &
                                                                                  - sigma3: Minor principal stress at failure (kPa)
                                                                                  - stress strain: Stress-strain curve DataFrame
(self.data['axial strain'] <= self.modulus range[1])
                                                                             self.test data = test data
                                                                             self.results = {
          ax.plot(elastic data['axial strain']*100,
              elastic data['deviator stress'],
                                                                                'elastic': {'E': None, 'v': None},
              'ro', label='Elastic Region')
                                                                               'plastic': {'c': None, 'φ': None}
          # Add regression line
          x vals=np.array([self.modulus range[0],
                                                                           def calculate elastic parameters(self):
self.modulus range[1]])*100
                                                                             """Determine elastic modulus (E) and Poisson's ratio
                                                                     (v)"""
          y vals=self.modulus*x vals/100
          ax.plot(x vals, y vals, 'b--',
                                                                             # Average modulus from initial linear region (0.05-
              label=fE={self.modulus/1000:.1f}MPa
                                                                     0.5% strain)
(R^2=\{self.r squared:.3f\})')
                                                                             moduli=[]
                                                                             for test in self.test data:
        ax.set xlabel("Axial Strain (%)")
                                                                                df=test['stress strain']
       ax.set ylabel("Deviator Stress (kPa)")
                                                                                elastic region=df[(df['strain']>=0.0005)&
                                                                     (df['strain'] \le 0.005)]
       ax.legend()
       return fig
                                                                               if len(elastic region)>2:
                                                                                  slope, _, r_value, _, _=linregress(
  # Example Usage
                                                                                     elastic region['strain'],
  if __name ==" main ":
                                                                                     elastic region['deviator stress']
     # Load test data (example)
     test data=pd.read csv("triaxial test.csv")
                                                                                  if r value**2>0.98: # Quality threshold
     analyzer=ElasticModulusAnalyzer(test data)
                                                                                     moduli.append(slope)
     # Calculate initial modulus in 0-0.5% strain range
                                                                             self.results['elastic']['E']=np.mean(moduli) if moduli
     E initial,
                                                           r2=
                                                                     else None
analyzer.calculate initial modulus(strain range=(0, 0.5))
                                                                             return self.results['elastic']
                                      {E initial/1000:.1f}MPa
     print(f"Initial
                       Modulus:
(R^2=\{r2:.3f\})")
                                                                           def calculate yield parameters(self):
                                                                             """Determine Mohr-Coulomb c and φ from failure
                                                                     points"""
     # Calculate secant modulus at 0.5% strain
     E secant
                                                                             sigma=[]
                                                                             tau=[]
analyzer.calculate secant modulus(strain point=0.5)
     print(f"Secant
                        Modulus
                                       at
                                              0.5%
                                                         strain:
{E secant/1000:.1f} MPa")
                                                                             for test in self.test data:
                                                                               # Transform to (\sigma, \tau) space
     # Generate plot
                                                                                sigma.append((test['sigma1']+test['sigma3'])/2)
     fig=analyzer.plot modulus determination()
                                                                               tau.append((test['sigma1']-test['sigma3'])/2)
     plt.show()
                                                                             # Fit failure envelope: \tau = c + \sigma \cdot \tan \varphi
Appendix E: Python Implementation of Yield Criteria and
                                                                             def envelope(s, c, tan phi):
Elastic Response in Mohr's Constitutive Model
                                                                               return c+s*tan phi
                                                                             popt, pcov=curve fit(envelope, sigma, tau)
  import numpy as np
  import matplotlib.pyplot as plt
  from scipy.optimize import curve fit
                                                                             self.results['plastic']['c']=popt[0]
                                                                             self.results['plastic']['φ']=
  class MohrCoulombAnalyzer:
                                                                     np.degrees(np.arctan(popt[1]))
                                                                             return self.results['plastic']
     Implements Mohr-Coulomb failure criterion analysis
                                                                           def plot results(self):
with elastic-plastic response
                                                                             """Generate comprehensive yield and elastic response
                                                                     plot"""
     Calculates yield parameters (c, \varphi) and elastic modulus (E)
per ASTM standards
                                                                             fig, (ax1, ax2)=plt.subplots(1, 2, figsize=(12,5))
                                                                             # Mohr circles and failure envelope
                                                                             self. plot mohr circles(ax1)
     def __init__(self, test_data):
```

```
# Stress-strain with elastic-plastic transition
                                                                                  matplotlib.backends.backend tkagg
                                                                       from
                                                                                                                            import
       self. plot stress strain(ax2)
                                                                    FigureCanvasTkAgg
                                                                       class CambridgeMITApp:
       return fig
                                                                         def init (self, root):
                                                                            """GUI application for analyzing stress paths using
     def plot mohr circles(self, ax):
       """Plot Mohr circles with failure envelope"""
                                                                    Cambridge and MIT models"""
       for test in self.test data:
                                                                            self.root=root
          center=(test['sigma1']+test['sigma3'])/2
                                                                            self.root.title("Stress Paths-Cambridge and MIT")
          radius=(test['sigma1']-test['sigma3'])/2
          circle=plt.Circle((center, 0), radius, fill=False)
                                                                            # Initialize variables and UI components
          ax.add patch(circle)
                                                                            self.file paths=[None, None, None]
                                                                            self.initial data=[{}, {}, {}]
                                                                            self.current case=tk.StringVar(value="1")
       # Plot failure envelope
       sigma=np.linspace(0, max(t['sigma1']
self.test data), 100)
                                                                            # Create file selection buttons
       tau=self.results['plastic']['c']+sigma
                                                                            self.create file buttons()
np.tan(np.radians(self.results['plastic']['φ']))
                                                                            self.create case selection()
       ax.plot(sigma, tau, 'r--', label='Failure Envelope')
                                                                            tk.Button(self.root, text="Generate Plots",
                                                                                  command=self.generate graphs).pack(pady=10)
       ax.set aspect('equal')
       ax.set xlabel("Normal Stress (kPa)")
                                                                         def create file buttons(self):
       ax.set ylabel("Shear Stress (kPa)")
                                                                            """Create buttons for loading test data files"""
                                                                            self.buttons=[]
  if name ==" main ":
                                                                            for i in range(3):
     # Example usage
                                                                              btn=tk.Button(self.root, text=f"Select File {i+1}",
     test data=[
                                                                                       command=lambda
                                                                                                                             idx=i:
                                                                    self.load file(idx),
          'sigma1': 450, 'sigma3': 100,
                                                                                       width=30)
          'stress strain':
                                                                              btn.pack(pady=5)
                                                                              self.buttons.append(btn)
pd.read csv("test1 stress strain.csv")
       # Additional test data...
                                                                         # [...] (Other methods continue with same level of
     ]
                                                                    documentation)
     analyzer=MohrCoulombAnalyzer(test data)
                                                                         def process data(self, file path, index):
     elastic params=analyzer.calculate elastic parameters()
                                                                            """Process triaxial test data from .log files
     yield params=analyzer.calculate yield parameters()
                                                                            Args:
                                                                               file path: Path to test data file
     print(f"Elastic Modulus: {elastic params['E']/1000:.1f}
                                                                               index: Test case index (0-2)
MPa")
                                                                            Returns:
     print(f"Friction Angle: {yield params['φ']:.1f}°")
                                                                              pd.DataFrame with calculated stresses and strains
     print(f"Cohesion: {yield params['c']:.1f} kPa")
                                                                            try:
     fig=analyzer.plot results()
                                                                               df=pd.read csv(file path, sep=r'\s+', skiprows=3)
     plt.show()
                                                                              # Data processing calculations [...]
                                                                              return df
Appendix F: Python Implementation of MIT-CAM Stress
                                                                            except Exception as e:
Path Simulation
                                                                              messagebox.showerror("Processing Error", str(e))
                                                                              return pd.DataFrame()
  import tkinter as tk
                                                                       if name ==" main ":
  from tkinter import filedialog, messagebox, ttk
                                                                         \overline{\text{root}}=\text{tk.}\overline{\text{Tk}}
  import pandas as pd
  import math
                                                                         app=CambridgeMITApp(root)
  import matplotlib.pyplot as plt
                                                                         root.mainloop()
```

import numpy as np